McGehee's counterexample map of the plane is
$f(x, y)=\left(x-x^{2}+y^{2}, 2 x y\right)$
a) Rewrite $f$ in complex variable terms, so in terms of a single complex variable $z$. (You are allowed conjugation!)
b) Establish the equivariance of this map with respect to the cyclic group of three elements which is generated by the third root of unity $\omega$.
c) Establish that the "stable manifold" of the origin $z=0$ consists of three rays separated by 120 degrees.
d) Establish that the "unstable manifold" consists of three rays oriented at 120 degrees.

