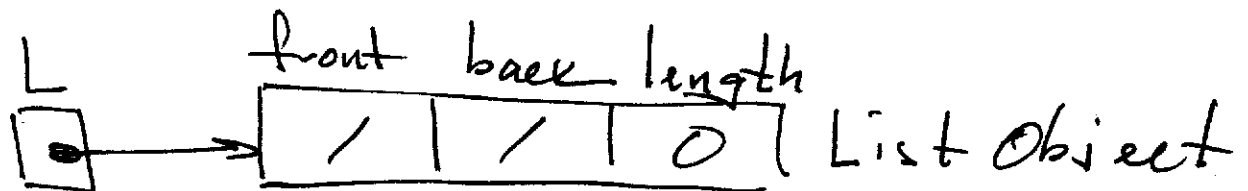


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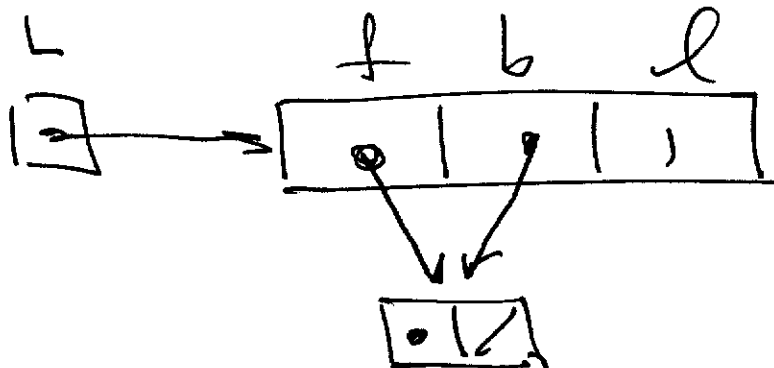
• Part ext. 1 last day to Sat. 10PM

continue .. linked list data struct. ..

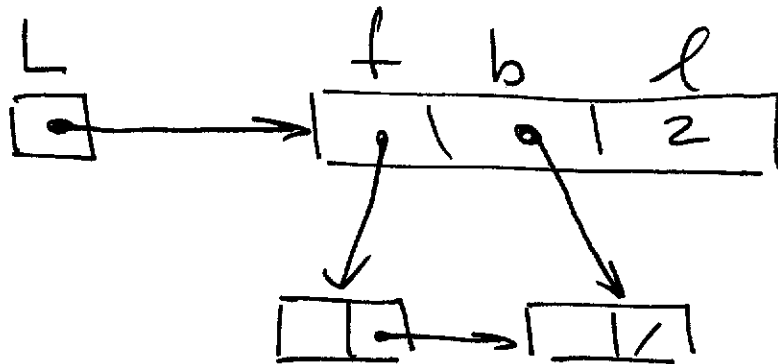
empty state



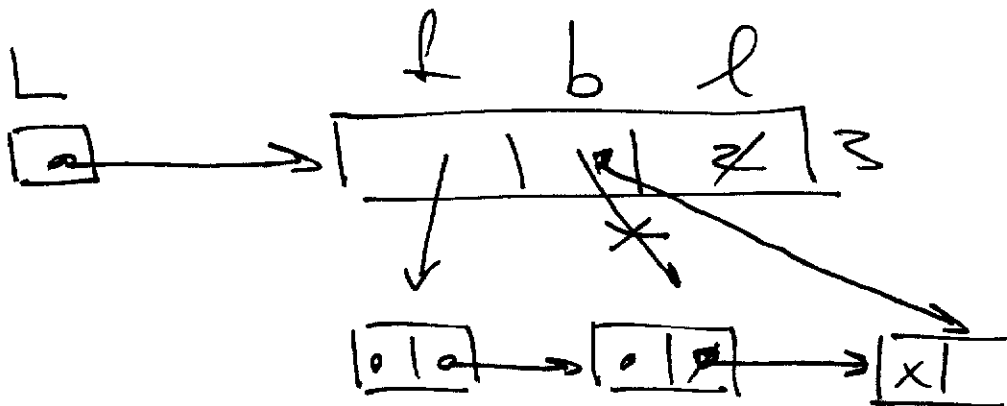
one node:



two nodes:



to add 1 node at back: append

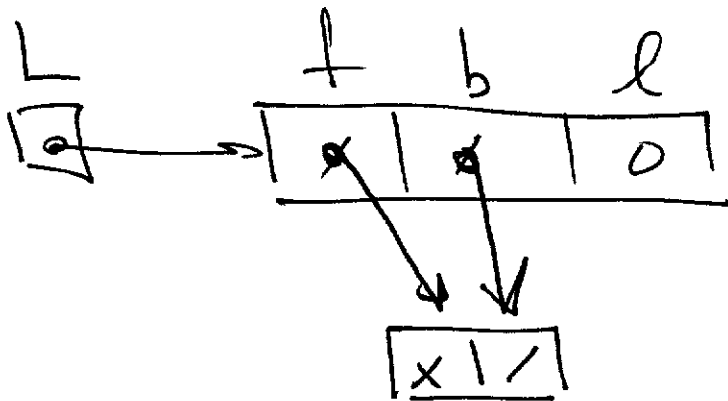


`self.back.next = Node(x)`

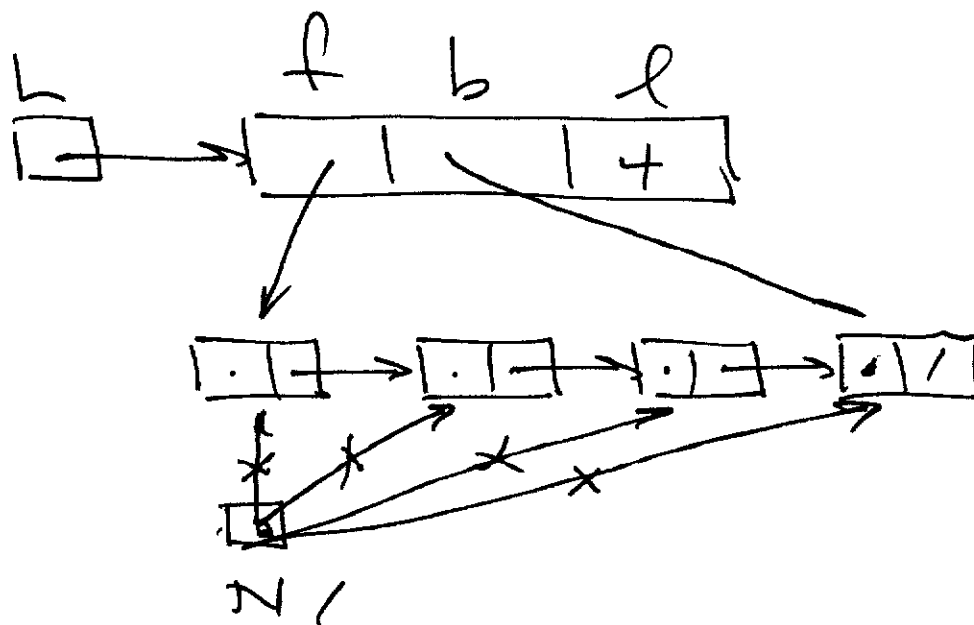
`self.back = back.next`

`self.length += 1`

special case: empty state



to walk down list: Print



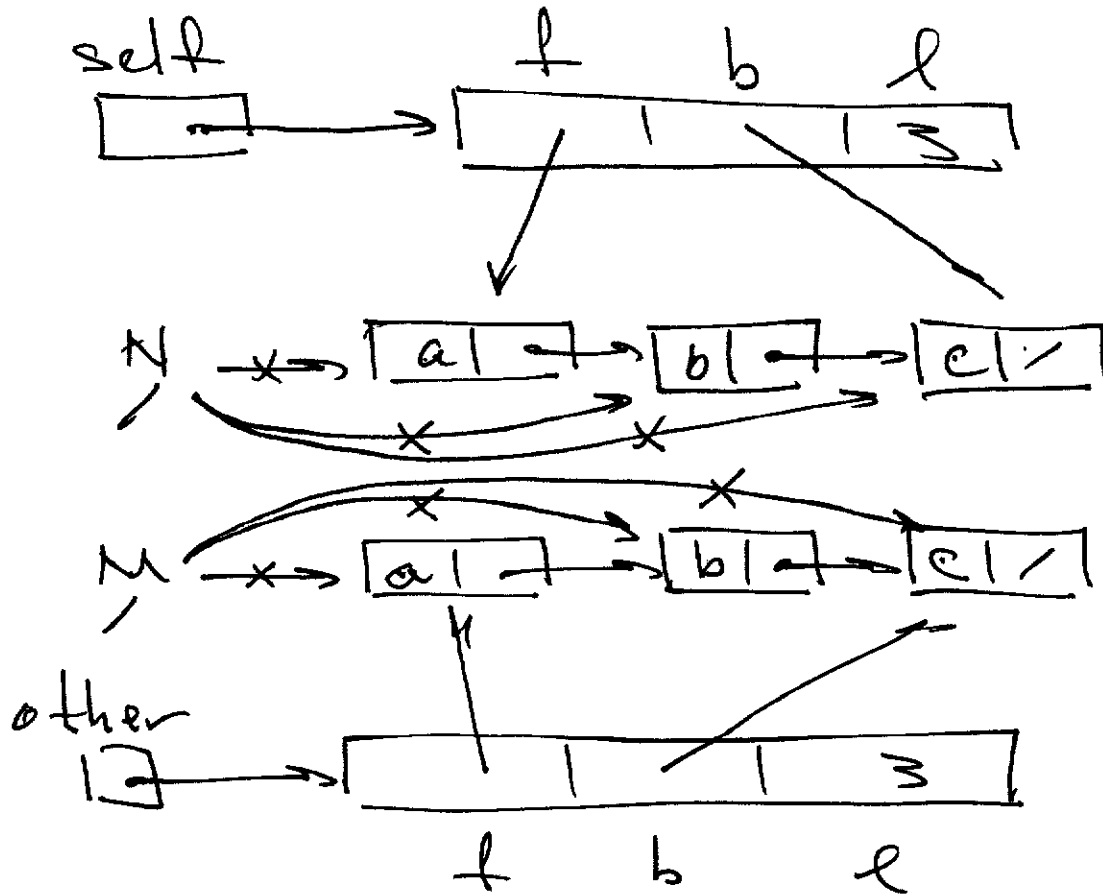
$N = f-out$

while $N \neq \text{None}$

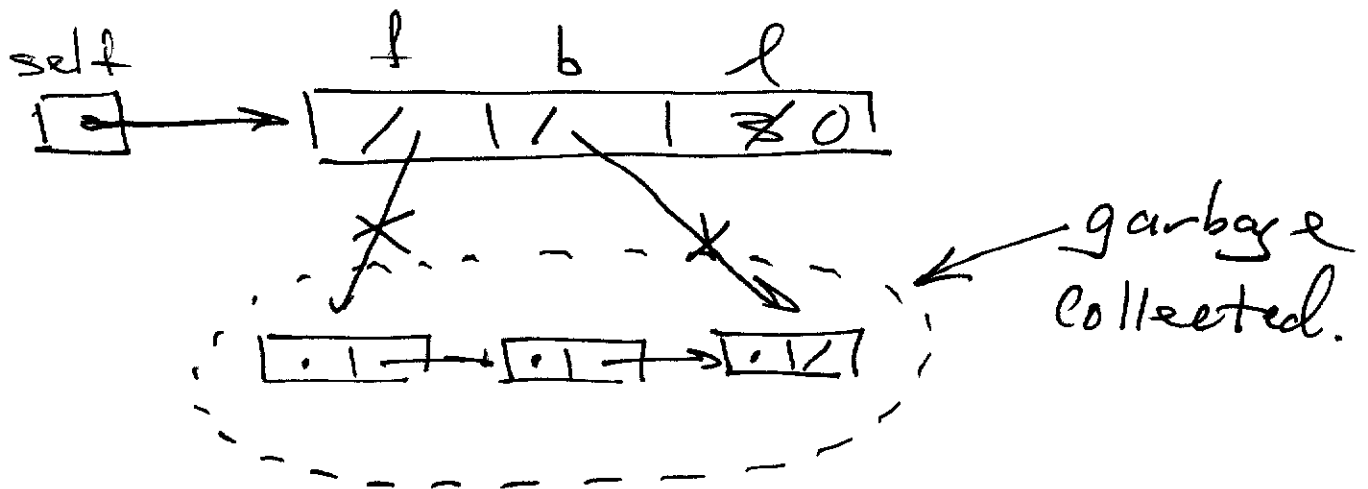
Print($N.data$)

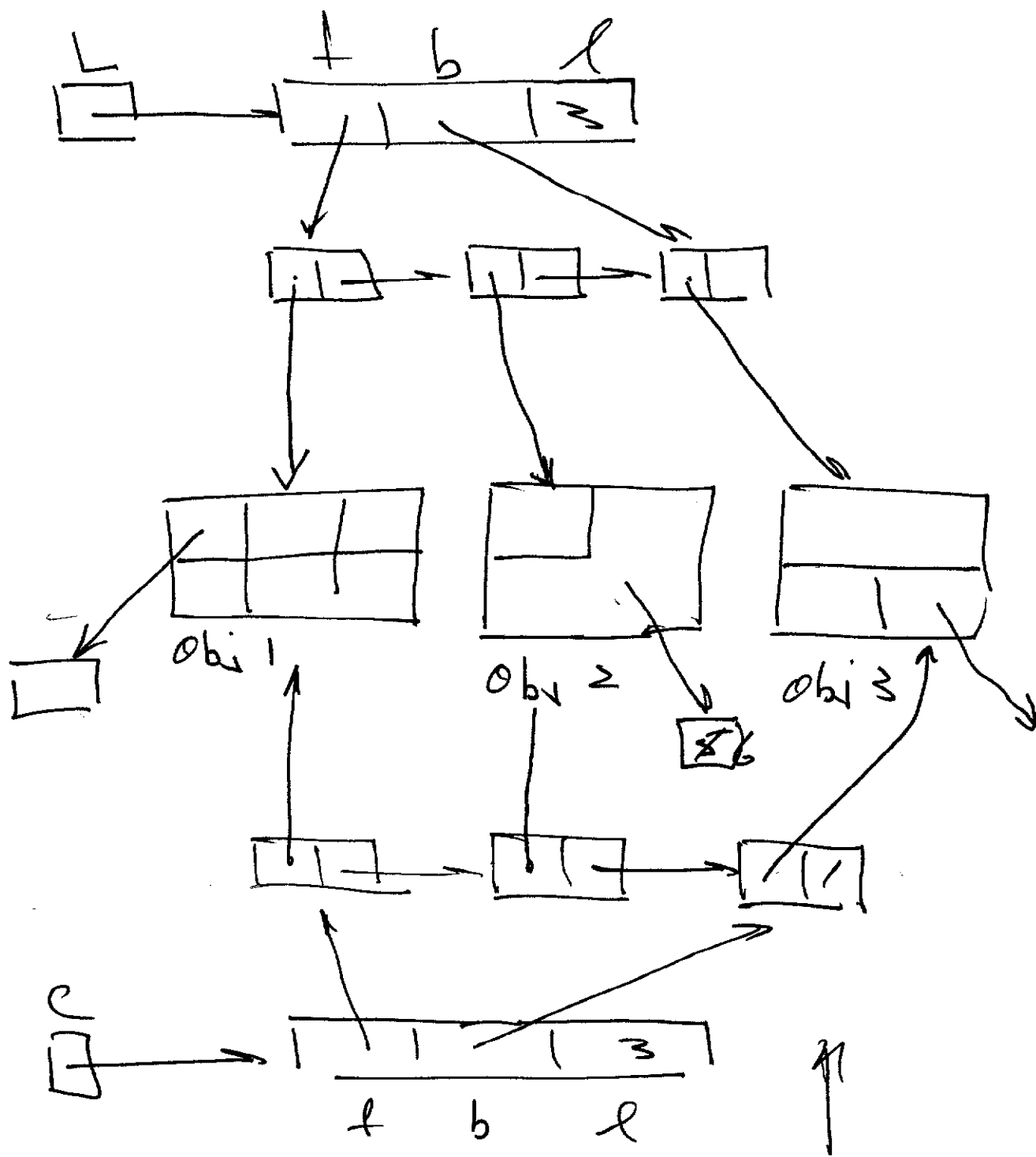
$N = N.next$

-- eg -- (self, other) :



clear(self) :



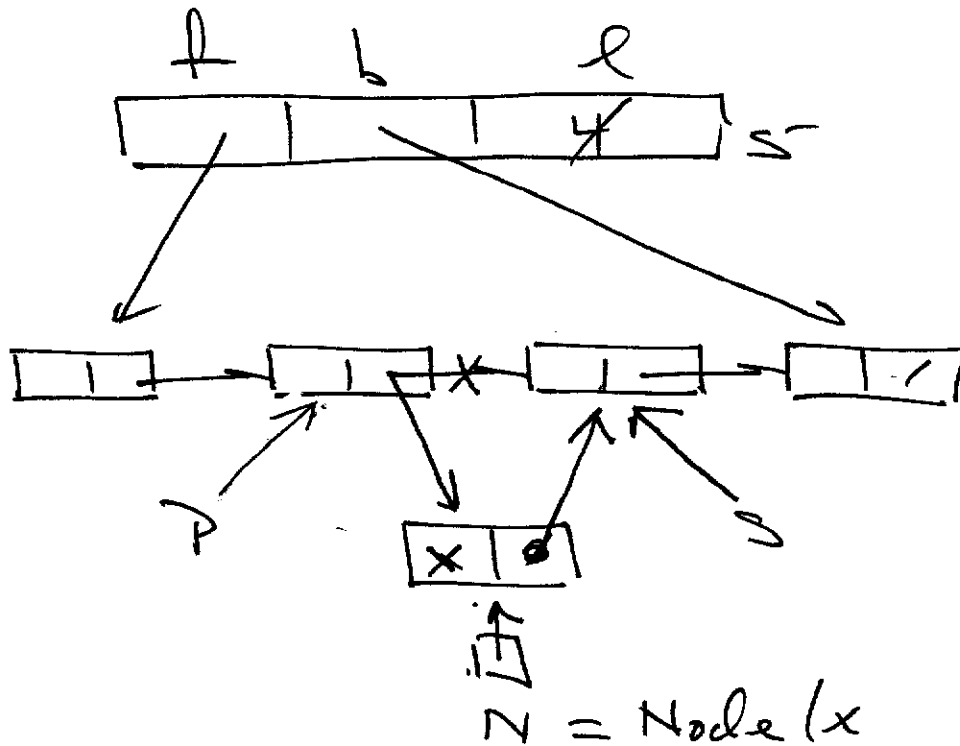


Shallow
copy.

hand functions:

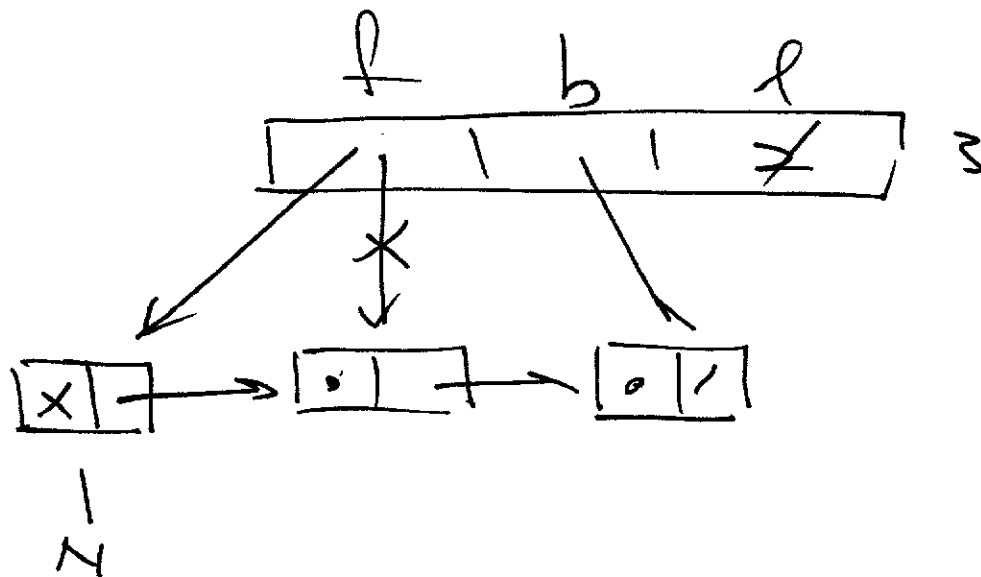
- insert(self, i, x)
- pop(self, i = -1)

to insert : x at pos $\textcircled{2}$
 $2-1=1$

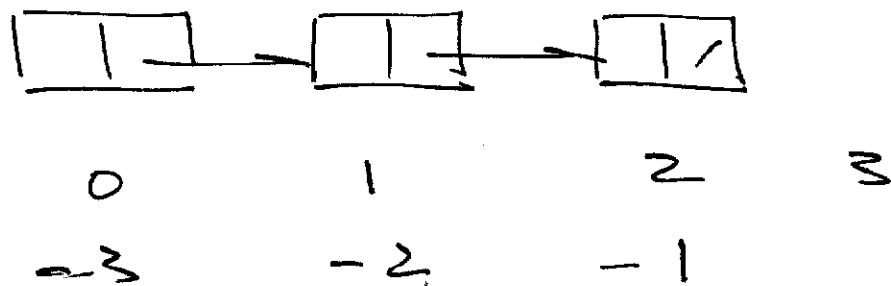


$P.next = N$
 $N.next = S$
 $length += 1$

special case: insert at front 7



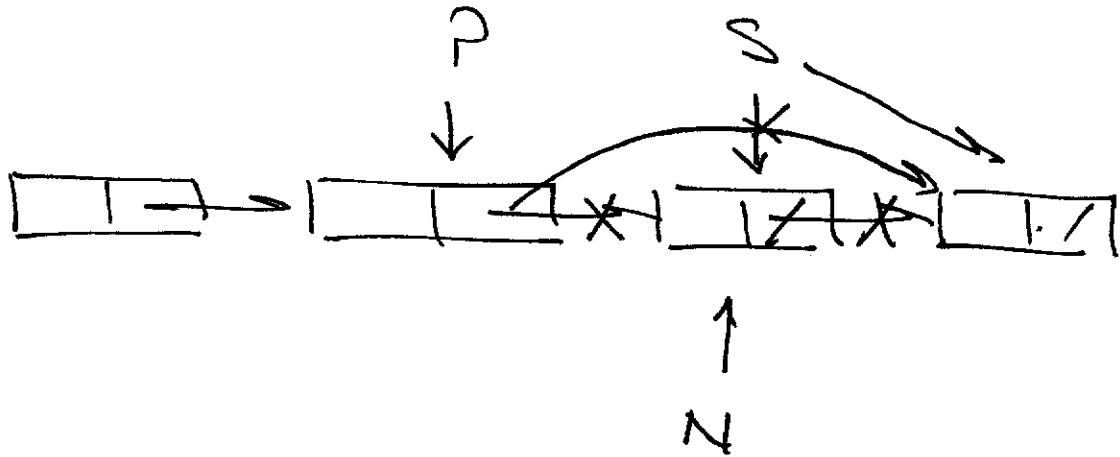
indices: $len = 3$



allowed in insert: $-n \leq i \leq n$

To do $\text{Pop}(i)$:

General case



walk P, S up to node S to delete

$$N = S$$

$$S = N.\text{next}$$

$$P.\text{next} = S$$

$$N.\text{next} = \text{None}$$

Exercise : examine special cases

$$\underline{\underline{n=1}} \quad \text{and} \quad \underline{\underline{i=0}}$$

Pay question: $CF(L)$

$$[x_0, x_1, \dots, x_n] = \begin{cases} x_0 & n=0 \\ x_0 + \frac{1}{[x_1, \dots, x_n]} & n \geq 1 \end{cases}$$

Ex.

$$[2, 3, 5] = 2 + \frac{1}{\left(3 + \frac{1}{5}\right)}$$

$$= 2 + \frac{1}{[3, 5]}$$