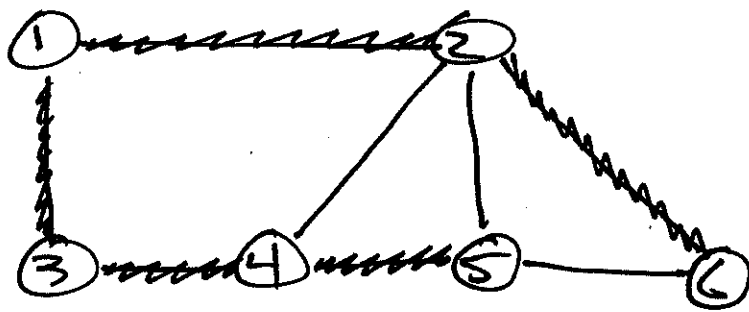


Par. ext. 1 day

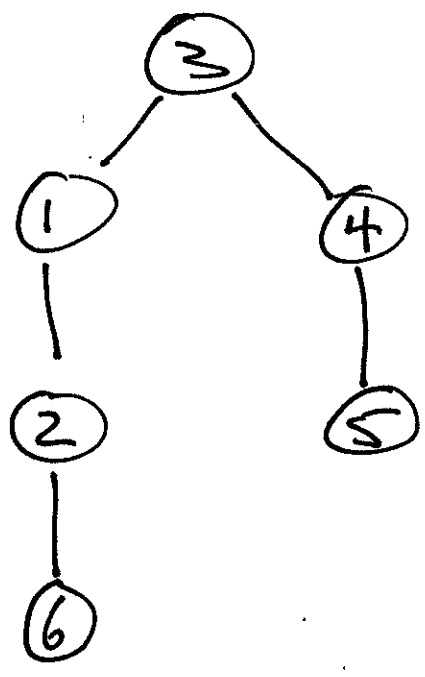
Ex. BFS, $S=3$



	adj	color	dist	Parent (Predecessor)
1	<u>2</u> <u>3</u>	w g b	∞ 1	w 3
2	<u>1</u> <u>4</u> <u>5</u> <u>6</u>	w g b	∞ 2	w 1
* 3	<u>1</u> <u>4</u>	g b	0	∅
4	<u>2</u> <u>3</u> <u>5</u>	w g b	∞ 1	w 3
5	<u>2</u> <u>4</u> <u>6</u>	w g b	∞ 2	w 4
6	<u>2</u> <u>5</u>	w g b	∞ 3	w 2

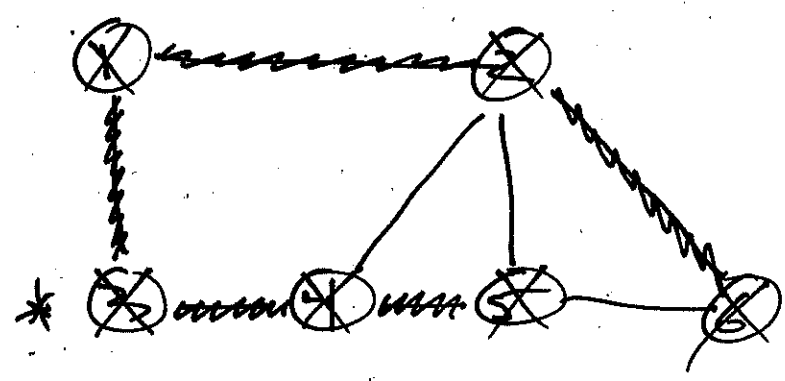
Q: ~~3~~ ~~1~~ ~~4~~ ~~2~~ ~~5~~ ~~6~~

BFS Tree (Predecessor Subgraph)



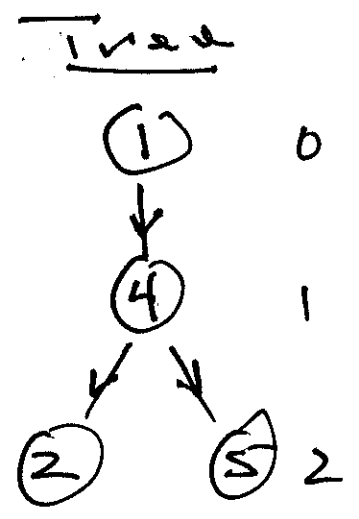
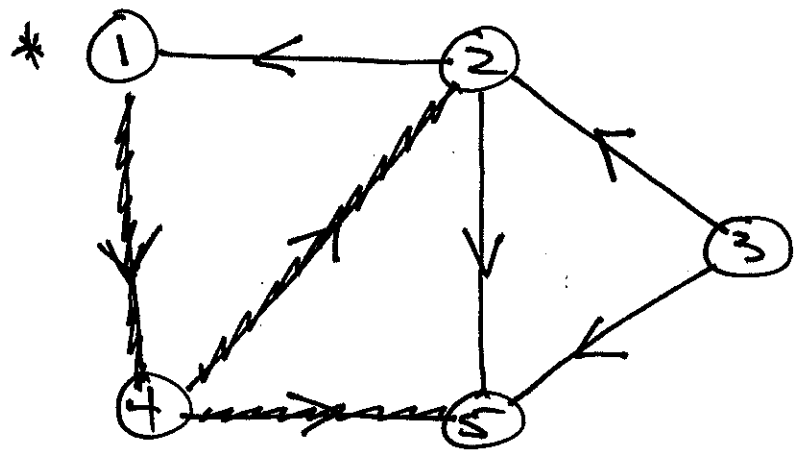
depth
 0
 1
 2
 3

Another way!



Q: ~~1~~ ~~2~~ ~~3~~ ~~4~~ ~~5~~ ~~6~~

Ex. BFS on dig-aph, S=1



Q: $\times \neq \$$

	adj	color	d	P
* 1	4	b	0	n
2	1 5	b	2	4
3	2 5	w	∞	n
4	2 5	b	1	1
5		b	2	4

Defn

P -predecessor subgraph

$$T = (V_P, E_P)$$

$$V_P = \{x \in V(G) \mid P[x] \neq \text{nil}\} \cup \{s\}$$

$$E_P = \{(\underbrace{P[x], x} \mid P[x] \neq \text{nil})\}$$

(\cdot, \cdot) ordered pair in digraph

$\{ \cdot, \cdot \}$ unordered " " graph