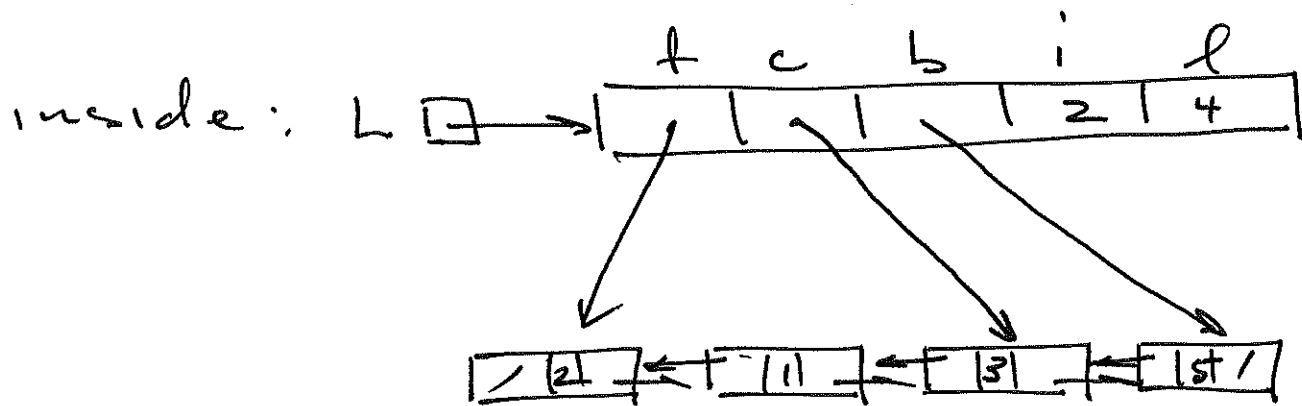


List ADT :

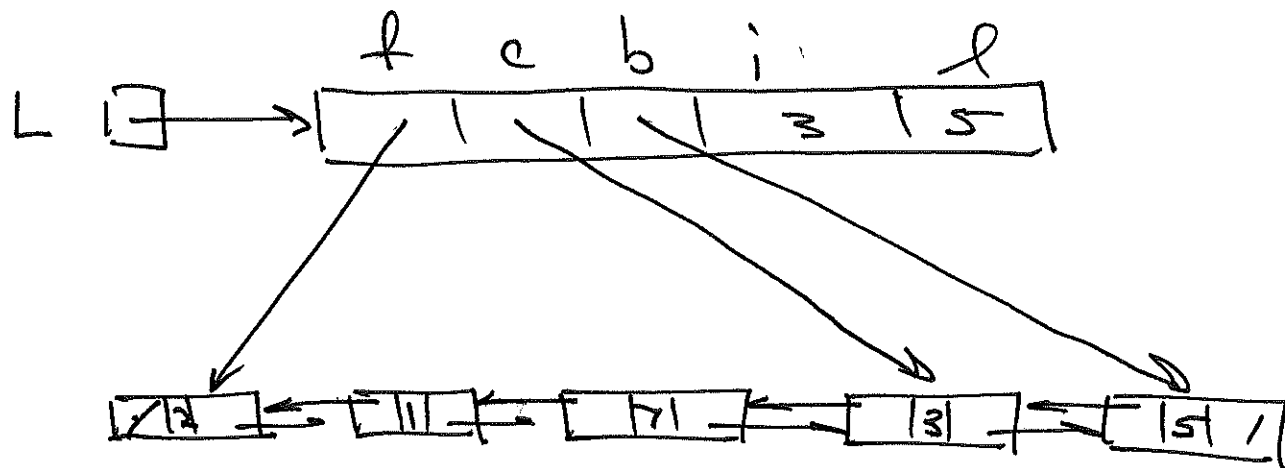
client : (2 1 3 5)



Do InsertBefore(L, 7)

client : (2 1 7 3 5)

inside:



Pair Example

How to insert array indices into list

$A = ["c" \quad "a" \quad "b" \quad "d"]$

Goal

$L = (1 \quad 2 \quad 0 \quad 3)$

Start: $L = ()$

Subarray
[]

insert 0: $L = (0)$

[c]

insert 1: $L = (0)$

$L = (1 \underline{0})$

[a c]

insert 2: $L = (\underline{1} \ 0)$

$L = (1 \ 0)$

$L = (1 \ 2 \underline{0})$

[a b c]

insert 3: $L = (\underline{1} \ 2 \ 0)$

$L = (1 \ 2 \ 0)$

$L = (1 \ 2 \ 0)$

$L = (1 \ 2 \ 0)$

$L = (1 \ 2 \ 0 \ 3)$

[a b c d]

note:

Don't use variable length Arrays (VLAs) in C

as of ISO C99, this is possible

```
int n;
```

```
// get n from user
```

```
int A[n]; // stack memory
```

```
// do something with A.
```

Don't do this!! use heap memory

```
int* A = calloc(n, sizeof(int));
```

```
... // do something
```

```
free(A);
```

Graph Theory Handout

what is a graph?

$$G = (V, E)$$

vertex
set
 $\neq \emptyset$

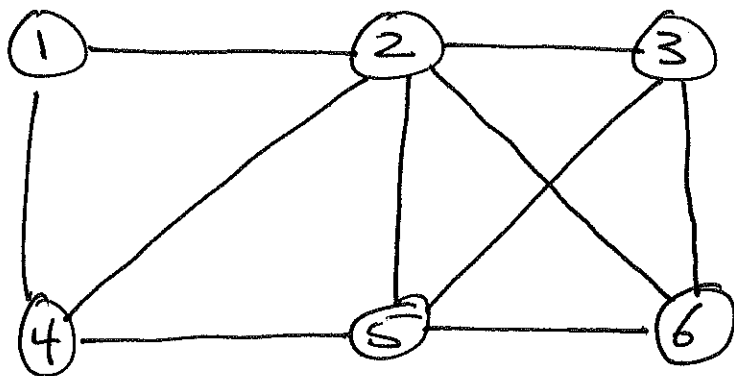
edge
set

note:

$$12 = 21 = \{1, 2\}$$

Ex $V = \{1, 2, 3, 4, 5, 6\}$

$$E = \{12, 14, 23, 24, 25, 26, 35, 36, 45, 56\}$$



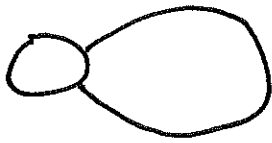
$$\deg(6) = 3$$

We say

- 1 is adjacent to 2
- 12 is adjacent to 23
- 2 is incident with 42
- 6 has degree 3
- Neighbors of 6 are $\{3, 2, 5\}$
- a 1-6 walk of length = 6
1, 4, 2, 5, 3, 2, 6 (also a trail!)
- a 1-6 path of length = 5
1, 2, 4, 5, 3, 6
- a shortest 1-6 path (length = 2)
1, 2, 6

note :

Self loop



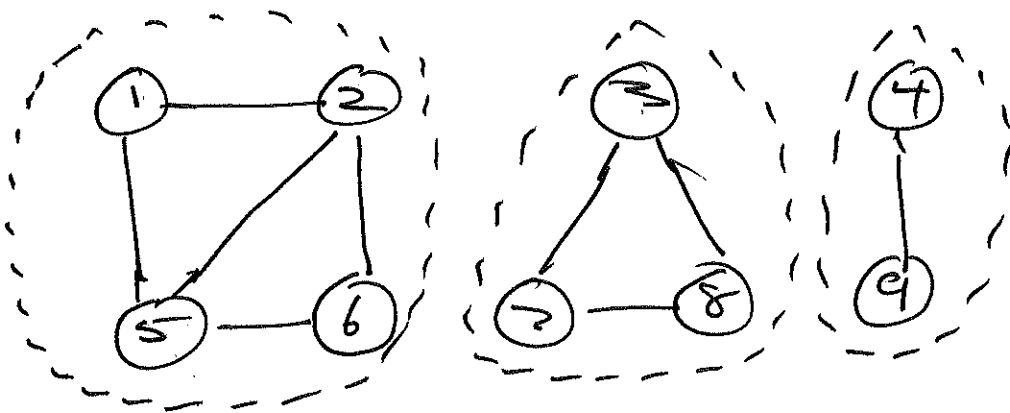
not allowed

Parallel edges



not allowed

Ex



Defn G is connected iff for all $x, y \in V(G)$, G contains an x - y path.

Defn

a subgraph H of G is called a connected component iff

(1) H is connected

(2) H is maximal w.r.t. (1)

Defn

A cycle in G is a closed path

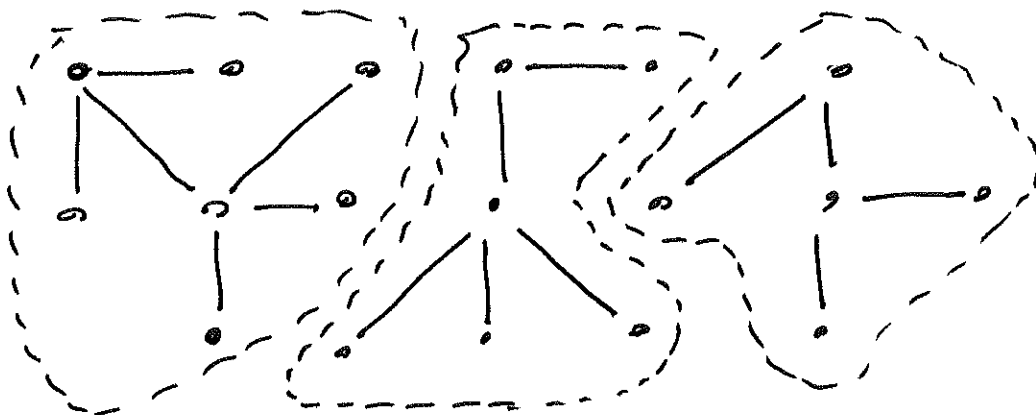
Defn

A Tree is a g -graph that is both Acyclic (contains no cycles) and connected.

Defn

An acyclic g -graph is called a forest.

Ex. forest:



| | | | |
|---------|---|---|---|
| #vert: | 7 | 6 | 5 |
| #edges: | 6 | 5 | 4 |

Read section on directed
Graphs P. 7-8 in handout.

next time:

Representations of G-graphs &

Dig-graphs: P. 9-10.