

CSE 101 4-30-26

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Part: ext. 2 days to Tuesday 5/5

Runtime of DFS:

$$n = |V(G)|; m = |E(G)|$$

Initialize:  $\Theta(n)$

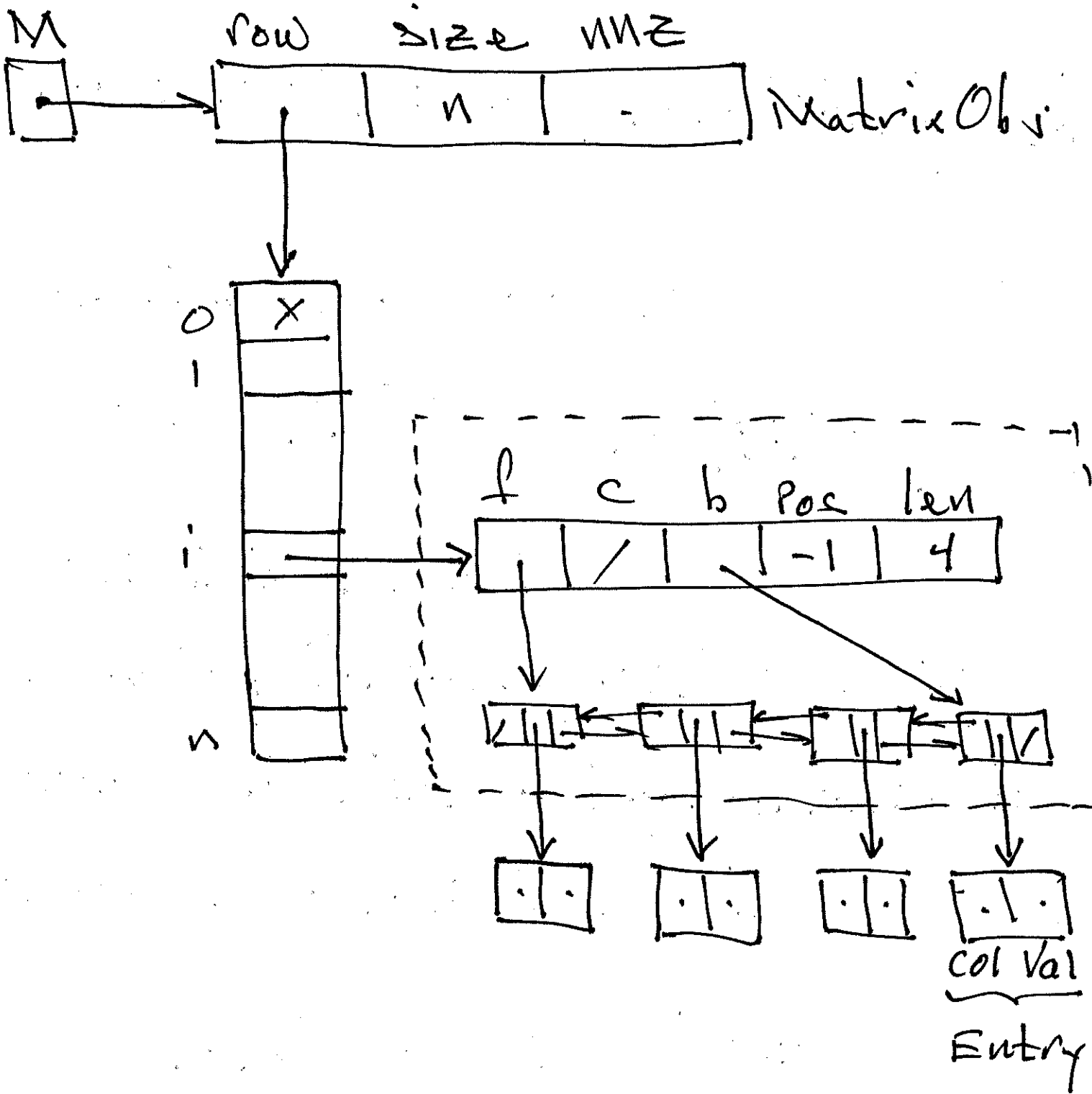
main loop (not counting  $\text{visit}()$ ):  $\Theta(n)$

inside  $\text{visit}$  (not counting recursion):  $\Theta(m)$

# calls to  $\text{visit}()$ :  $\Theta(n)$

total cost:  $\Theta(n+m)$

Part



# Build Matrix ops order

- Constructor
- makeZero
- destructor
- printMatrix
- changeEntry ← \*\*\*!!!

## Easy

- copy(), transpose(), scalarMult()

Helper • dot(), add(), sub()

Hard • product(), sum(), diff()

# Change Entry (i, j, x)

change  $M_{ij}$  to  $x$

## cases

1.  $M_{ij} = 0, x = 0$  : do nothing
2.  $M_{ij} \neq 0, x = 0$  : delete
3.  $M_{ij} = 0, x \neq 0$  : insert
4.  $M_{ij} \neq 0, x \neq 0$  : overwrite

# helper fn dot(L1, L2)

L<sub>1</sub>: (10, 1.0), (30, 2.0), (50, 3.0), (70, 7.0)

L<sub>2</sub>: (20, 4.0), (40, 5.0), (50, 6.0) \_\_\_\_\_



+ 18.0  
accumulate  
sum

# Product (A, B)

$$T = \text{Transpose}(B)$$

for  $i = 1$  to  $n$  <sup>size</sup>

if  $A_i$  is all zeros

continue

for  $j = 1$  to  $n$

$$C_{ij} = \text{dot}(A_i, T_j)$$

~~return~~  
return C

Runtime of Product()

$$O(n^2 + a \cdot b)$$

Idea (not required)

instead of array of lists  
have List of Lists

$$O(n + a \cdot b)$$