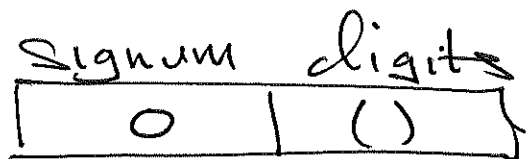


Pa6: ext. 2 days  $\rightarrow$  Monday

• no argument constructor

`BigInteger()`



• from-long constructor

`BigInteger(x)`

$x > 0$  : 

1	—
---	---

 $\rightarrow$  (., ., ., .)

$x = 0$  : 

0	—
---	---

 $\rightarrow$  ()

$x < 0$  : 

-1	—
----	---

 $\rightarrow$  (., ., ., .)

why the from-long?

$$37512 * A + 592977 * B$$

• from-string constructor

BigInteger(s)

say

s = "12|3 4 5|6 7 8|9 8 7|6 5 4"

b = 1000

P = 3

use in string.h!

- substr()
- stol()
- length()

# Dictionary ADT

13

- BST ch. 12 (CLRS)
- RBT ch. 13 ..
- Hash Table ch. 11 .

State: a finite set of ordered  
Pairs of the form

$(key, value)$

i.e.

$\{(k_1, v_1), (k_2, v_2), \dots, (k_n, v_n)\}$

Require: keys are distinct.

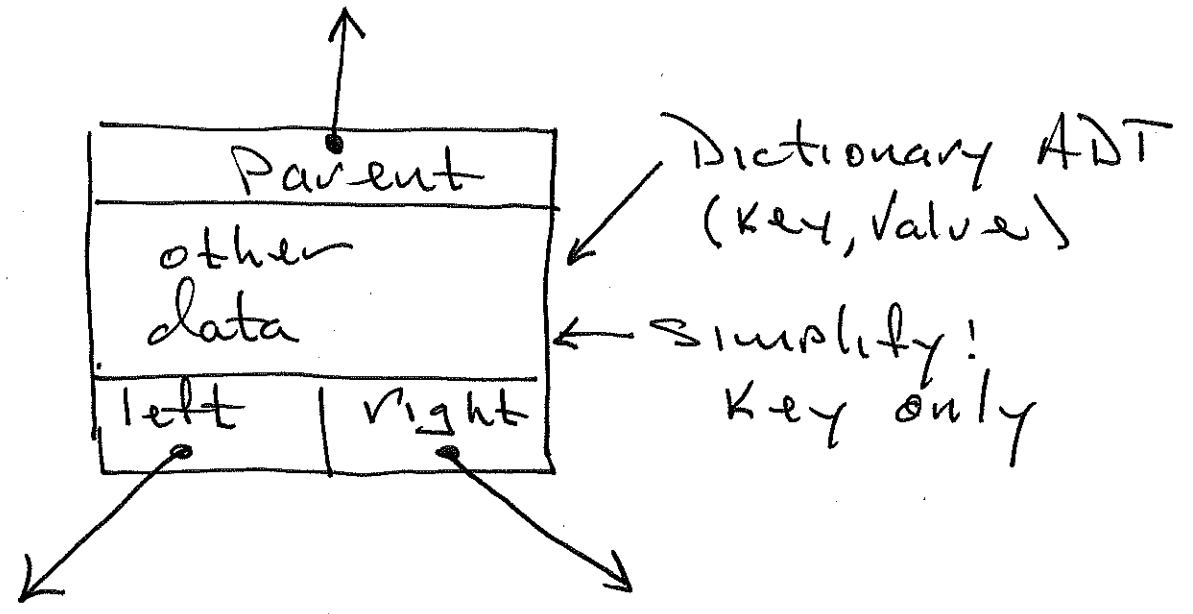
## Operations

- $\text{lookup}(\text{key})$ : returns value assoc. with key, or nil if key is not in dictionary.
- $\text{insert}(\text{key}, \text{value})$ : adds a new pair to dictionary.  
Pre:  $\text{lookup}(\text{key}) = \text{nil}$ .
- $\text{delete}(\text{key})$ : removes (key, value) from dictionary.  
Pre:  $\text{lookup}(\text{key}) \neq \text{nil}$ .

# Binary Search Trees (BST)

ch. 12 of CLRS.

Node Object

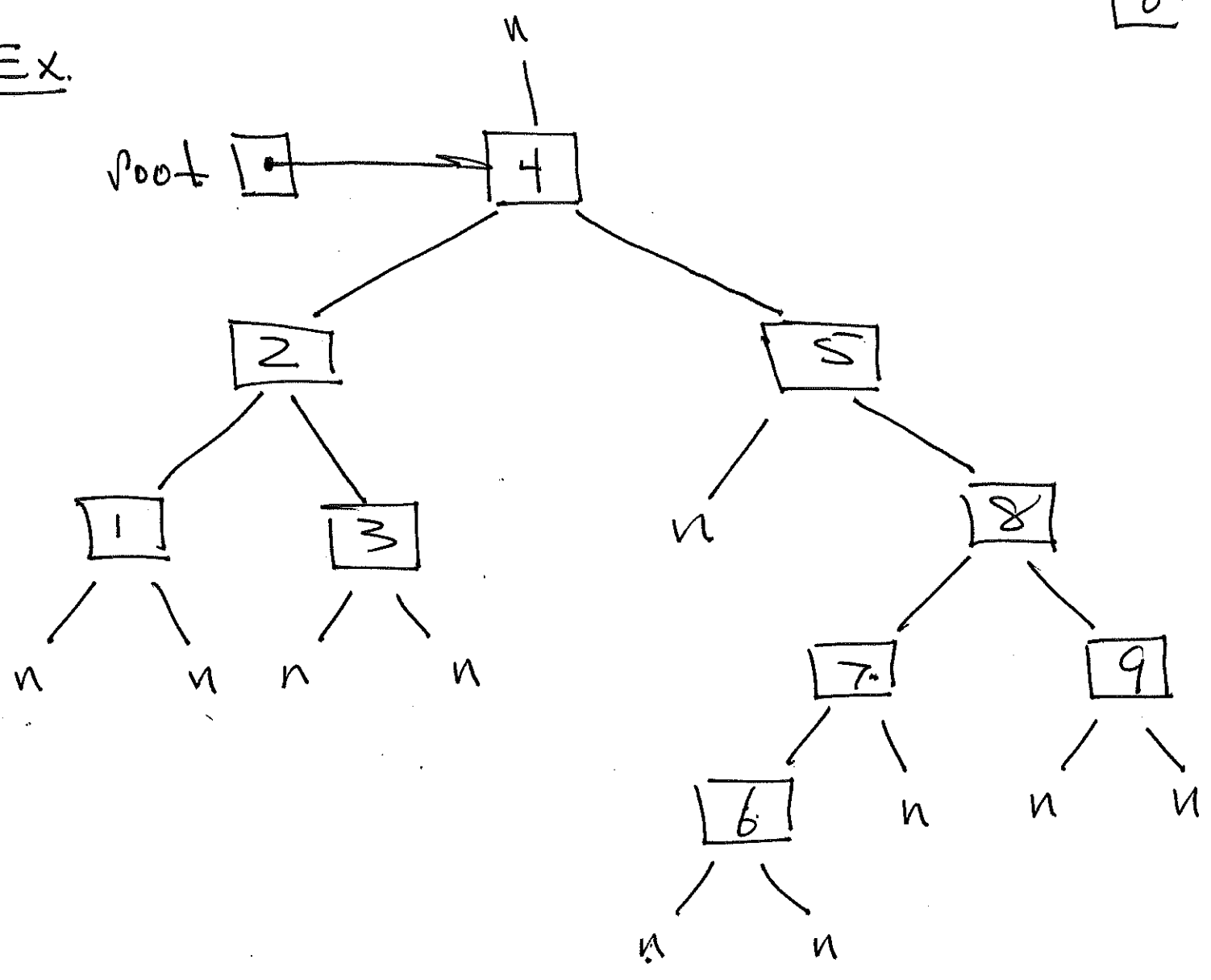


## BST Properties

let  $x, y$  be nodes.

- (1) if  $y$  is in the left subtree of  $x$ ,  
then :  $Key[y] \leq Key[x]$
- (2) if  $y$  is in the right subtree of  $x$ ,  
then :  $Key[x] \leq Key[y]$ .

Ex.

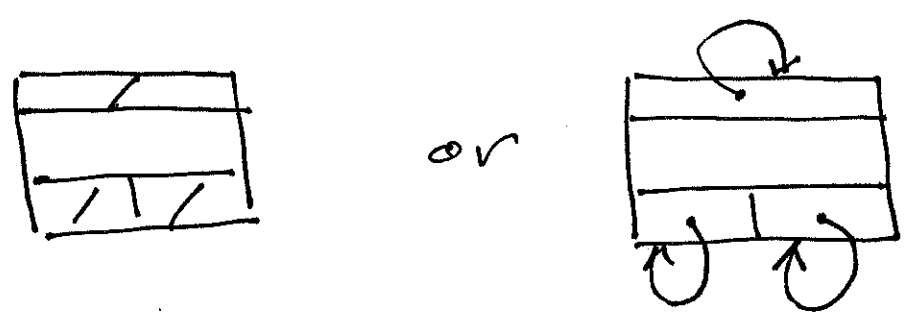
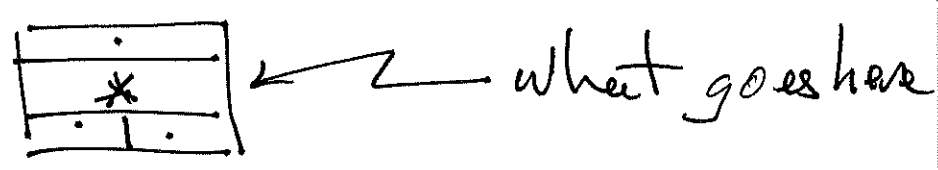
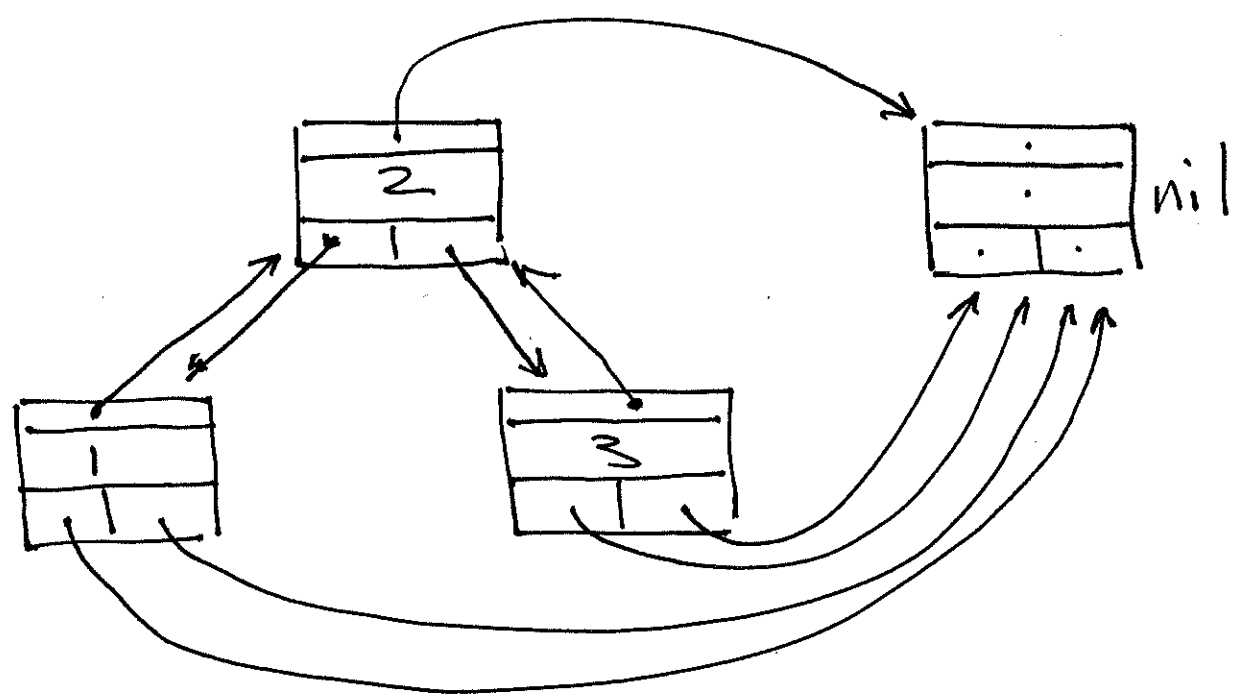


Defn

- A leaf is a node with no children
- An internal node is a non-leaf.

what is nil?

Recommend: nil is a dummy node, i.e. a sentinel.



or

## Tree Traversals

- InOrderTreeWalk(x) ✓
- PreOrderTreeWalk(x) ✓
- PostOrderTreeWalk(x) ✓

Ex.

I.O.T.W : 1 2 3 4 5 6 7 8 9

Pre. O.T.W : 4 2 1 3 5 8 7 6 9

Post O.T.W : 1 3 2 6 7 9 8 5 4