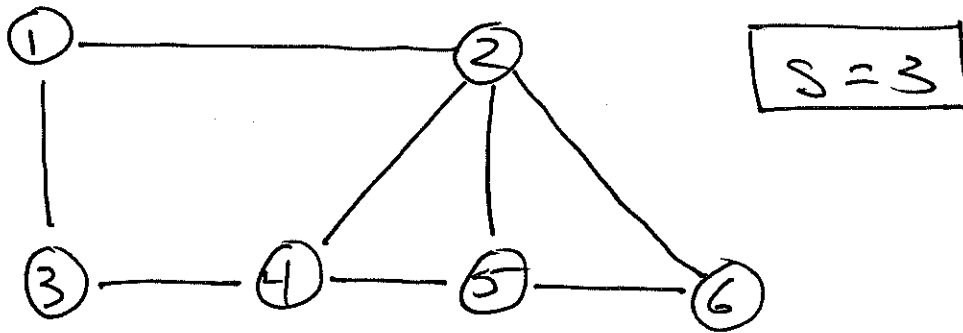


Par: ext. 2 more days.

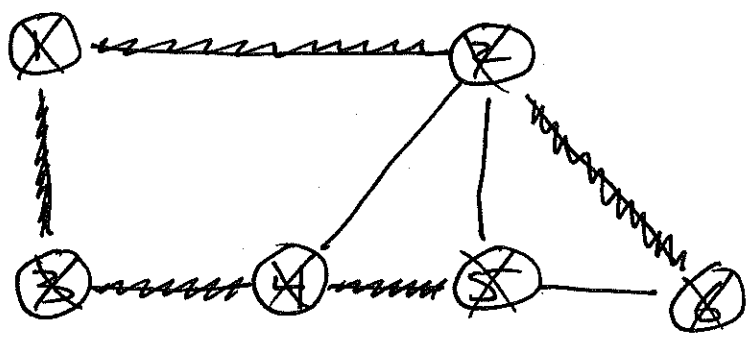
EX.



	adj	color	d	v
1	<u>2</u> <u>3</u>	w g b	<del>1</del>	<del>3</del>
2	<u>1</u> <u>4</u> <u>5</u> <u>6</u>	w g b	<del>2</del>	<del>1</del>
3	<u>1</u> <u>4</u>	w g b	0	4
4	<u>2</u> <u>3</u> <u>5</u>	w g b	<del>1</del>	<del>3</del>
5	<u>2</u> <u>4</u> <u>6</u>	w g b	<del>2</del>	<del>4</del>
6	<u>2</u> <u>5</u>	w g b	<del>3</del>	<del>2</del>

Q: ~~3~~ ~~4~~ ~~7~~ ~~6~~

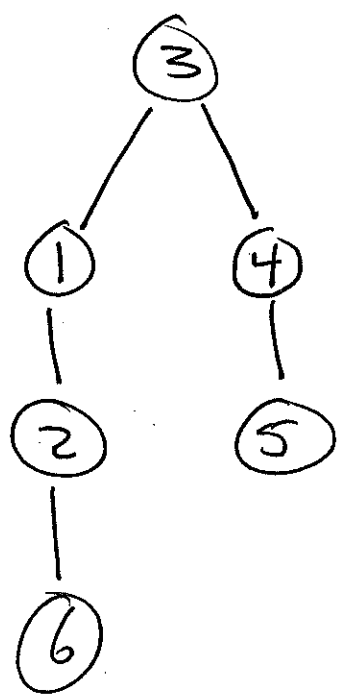
Short way



S = 3

Q: 3 1 4 2 5 6

BFS Tree!



dist.

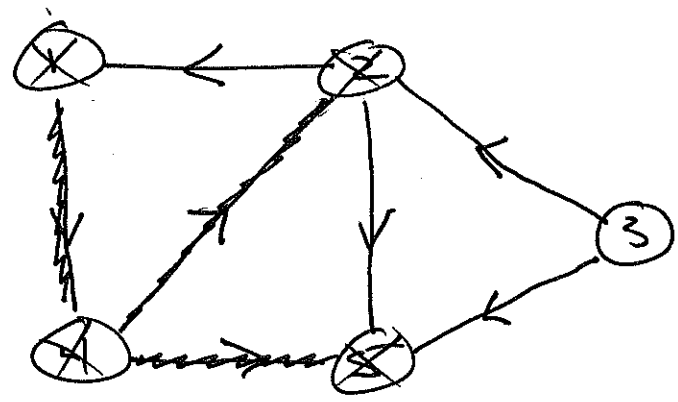
0

1

2

3

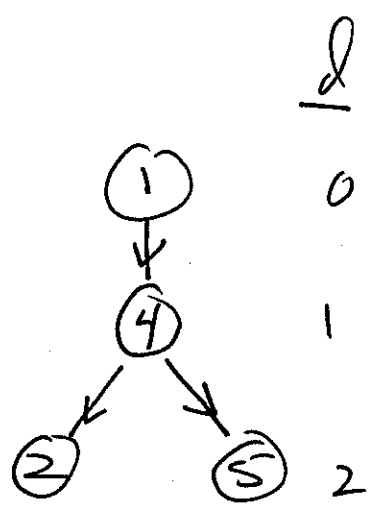
Ex.



$S = 1$

Q: x y z \$

Tree!



	adj	color	d	p
1	4	b	0	n
2	1 5	b	2	4
3	2 5	w	$\infty$	n
4	2 5	b	1	1
5		b	2	4

## Predecessor subgraph

$$T = (V_p, E_p)$$

$$V_p = \{x \in V(G) \mid P[x] \neq \text{nil}\} \cup \{s\}$$

$$E_p = \{(P[x], x) \mid P[x] \neq \text{nil}\}$$

$\uparrow$ digraph $\leftrightarrow$ ordered pair graph $\leftrightarrow$ unordered pair
---

Pseudo-code:  $\text{PrintPath}(G, s, x)$

# Depth First Search (DFS)

Vertex attributes:

- $color[x]$ : w, g, b
- $P[x]$ : Parent of  $x$
- $d[x]$ : discover-time of  $x$
- $f[x]$ : finish " " "

Subroutine:  $Visit(x)$ , recursive.

Time:  $0 \leq time \leq 2n$   
 $\uparrow$   
 $n = |V(G)|$

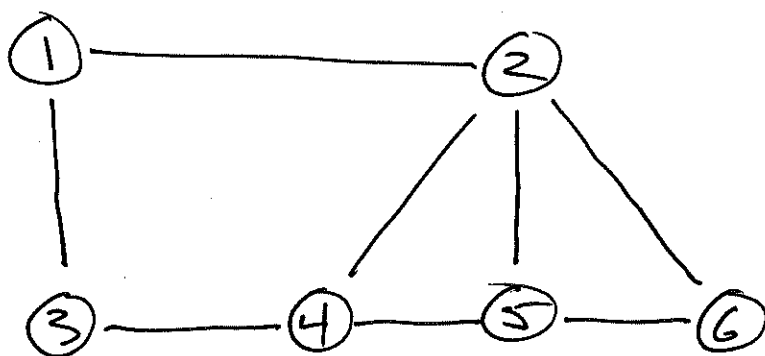
Predecessor sub-graph :

$$(V_P, E_P)$$

$$V_P = V(G)$$

$$E_P = \{ (P[x], x) \mid P[x] \neq \text{nil} \}$$

Ex.



	adj	color	d	t	p
1	<u>2</u> <u>3</u>	wg b	1	12	n
2	<u>1</u> <u>4</u> <u>5</u> <u>6</u>	wg b	2	11	n 1
3	<u>1</u> <u>4</u>	wg b	4	5	n 4
4	<u>2</u> <u>3</u> <u>5</u>	wg b	3	10	n 2
5	<u>2</u> <u>4</u> <u>6</u>	wg b	6	9	n 4
6	<u>2</u> <u>5</u>	wg b	7	8	n 5

time

~~0~~  
~~1~~  
~~2~~  
~~3~~ 10  
~~4~~ 11  
~~5~~ 12  
~~6~~  
~~7~~  
~~8~~  
~~9~~

# DFS Forest!

LT

